

# Physics from Axioms.

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## Abstract:

We introduce a definition of Time and Photons from four Axioms. Basically, you take a 4-dimensional manifold, transform them into two superimposed Riemann Spheres and isolate a circle (call this  $P_p$ ) in one of the spheres. Then one specifies the circle to turn by a unit amount (the turn is a quantum rotation: turn from state A to state B without visiting the in-between states) as measured along the circle if the  $P_p$  encounters a space point. The circle's infinity point stays at the north pole of the Riemann Sphere for any finite rotation since  $\text{infinity} - \text{constant} = \text{infinity}$ . Using this, Time can be defined if we require special particles to be in the particles of a clock. We go on to define photons and antiphotons. If we define antiphotons we are at a more efficient level of using resources (conservation of space implied by conservation of Energy). The model explains why photons have momentum. The reason why a photon can have variable frequency is also stated. The model assumes there are positive and negative events of spacetime and this is the reason why one can choose a zero point (for coordinates) anywhere. The model explains why light travels at a finite speed.

**Keywords:** time, photon.

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### 1. Defining Time.

Here are the four axioms we are going to use:

A1: Complex numbers exist. Call this C.

A2:  $x = x$

A3:  $x + y = y + x$

A4: A is a subset of B if B contains A and B - A not = the empty set.

The following definitions are stated and will be used:

Definitions: "C x C" means "Complex plane Cartesian product Complex plane".

"RS  $\leftrightarrow$  RS" means "Riemann sphere superimposed on Riemann sphere".

"quantum rotation" means "a rotation from state A to state B without visiting the states in-between".

By "event" I will mean: "point in spacetime".

By "negative event" I will mean "a left out point in spacetime".

The format of the statements will be:

Index	Statement	Reason
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First, we construct a Space. This space will be required to be able to define a particle.

1	Construct $S = C \times C$ .	A1, A2
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1.1	S is 4 dimensional.	1
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1.2	Set the components of $S = S_{1,2,3,4}$ in the following order: Real, Imaginary, Real, Imaginary.	1, A2
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The reason that we could define this space is because of A1.

We define a particle called Pp next.

2	S can transform into two superimposed Riemann Spheres.	A1, 1
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See ref. [6] why this is possible, from a reputable source.

3	Construct two Riemann Spheres of S, call it RS $\leftrightarrow$ RS = Pp.	A1, 1
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We define a circle along the Imaginary axis of the second RS:  $S_4$ .

- 4 Isolate a circle in the second RS namely  $S_4$  and call it  $P_T$ . A1, 3
- 4.1 I'm going to use physical terminology below. Declaration
- 4.2 Construct "physical space" =  $S_p = C \times C/S_4$ . A1, A2

This gives physical space with  $S_{p2}$  multiplied by  $i$ .

- 5 Let  $P_T$  advance by one (rotate relative to  $S_{1,2,3}$  by one as measured along the circle) if encountering a space point and let the rotation be a quantum rotation. Call this "freq" =  $T_s$   
A1, 4, 4.2, A2

This rotation does not move infinity at the north pole of RS since infinity - constant = infinity. This circle cannot have a charge of the particle  $P_p$  on it. Note that the act of "encountering" need not depend on time or it may depend on a particle at infinity encountering space points, but this does not require time.

- 8 Let  $S_{1,2}$  be perpendicular to  $S_{3,4}$  1

Now we can define a basic time interval:

For particles 1 to N and encounter m (defined using a particle like  $P_T$ , at infinity), compute:

- 12 Define "basic time step" =  $\Delta t_{Bm} = 1/\text{Ave}(\#T_s)_m$  1-11, A3, A2

where  $\text{Ave}(\#T_s)_m = (1/N)(\sum_{n=1}^N (\#T_s)_{nm})$ .

See Appendix A for sample computations.

From these define "Basic time":

- 14 Define "Basic time" =  $t_{Bm} = \Delta t_{B1} + \Delta t_{B2} + \dots + \Delta t_{Bm}$  12, 5, A3
- 22 Basic Time advances like a clock, it depends on the  $P_p$  in the clock and on the route (fast clocks run slow) in space. 18, 21
- 23 Basic Time = Time. A2, 22, 14

In practice, we only require that some particle of the crystal/ atom/pendulum/spring of the clock has a circle with no charges on it that can serve as the particle clock.

## 2. Defining Photons and Anti-photons.

We go further to define photons. For this, we need antiphotons as well. For this, we need to

define negative events of  $B_{ST}$  (the origin may then be constructed anywhere.)

23.1 Construct negative points of physical space as:  $S_{P-} = (-r)x(-r)x(-r)$ ,  $r > 0$ ,  $r$  element of Real numbers A1

23.2 Couple  $(\Delta t_{Bm})$  to points of  $(S_{P-})_m$ . Call the result  $B_{ST-}$ . 14, 23.1

23.3 Shift the origin of  $B_{ST-}$  in  $B_{ST-}$  by an amount:  $\min\{\text{distance of two adjacent events of } B_{ST-} \text{ along any axis of } B_{ST-}\}/2$  and do the same for all four directions. Call the result  $CB_{ST-}$ . 23.2

23.4 Define the events and negative events of  $CB_{ST-}$  to have closest neighbors in a helix for any direction in  $CB_{ST-}$ . This is not picture able. 23.3

24 Define a constant  $c = \Delta S_{Pm}/\Delta t_{Bm}$  4.2, A2

24.1 Let  $c$  be the maximum speed through  $CB_{ST-}$  i.e. the speed at which the particle sees minimum distance between succeeding events of  $CB_{ST-}$ . 4.2, 23.3

24.2 Construct  $S = C$  A1

25 From  $S$ , define a new southern hemisphere  $RS$ . 24.2

25.1 From  $S$  define a new northern hemisphere of left out events of  $B_{ST}$  as Riemann sphere left out (RSL) 24.2

25.2 Call the construct of 25, 25.1 as  $F_1$ . 25,  
25.1

29 Construct  $S_{AP} = (-C)$  A1

This way the particle and antiparticle may look identical except for phase difference of 180 degrees (as if turned through 180 degrees).

30 Construct from  $S_{AP}$  a RSL and RS as inverse of above. Call it  $\underline{F}_1$ . 29, 25, 25.1

31 Let  $CB_{ST-}$  construct any vector in  $\underline{F}_1$ , call it  $p$ . This is done by identifying four numbers in  $\underline{F}_1$ . Call such particle  $qFp_1$ . 3, 18, 4.1

32  $p$  is 4 dimensional 31

33 Construct the same vector as in 31 x  $(-1)$  in  $\underline{F}_1$ . Call such particle  $\underline{qFp}_1$ . 31, 28

34 Identify a marker in  $\underline{F}_1$ 's origin and at the origin in  $\underline{F}_1$ . 31, 33

35 Set  $Fp_1 = qFp_1$  and leave out 2 distinguished events just below the unit circle crossing a

curled up axis. Call the two points A, B. 24.2

36 Set  $Fp_1 = qFp_1$  and add 2 distinguished events just below the unit circle crossing a curled up axis. Call the two points  $\underline{A}$ ,  $\underline{B}$ . 29

37 Let  $S_1, S_2$  of  $Fp_1$  look like in Figure 1.1 24.2, 35

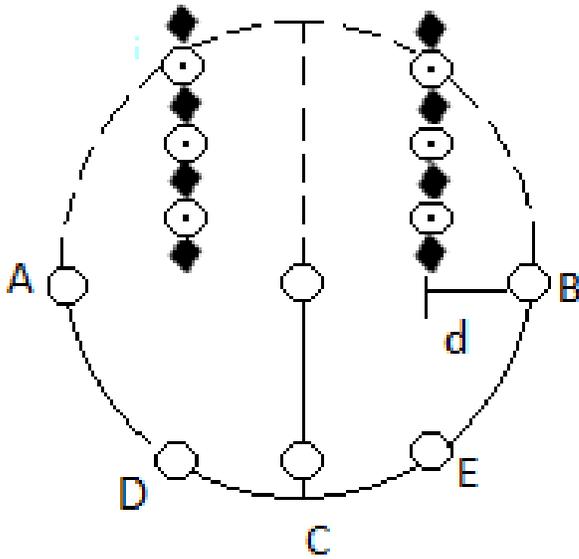


Figure 1.1

The little circles represent events of the circle that was left out. The figure shows an  $Fp_1$ . The diamonds are positive events of  $CB_{ST}$  and the circles with dots in the center are negative events of  $CB_{ST}$ , as the particle sees them. The little circles denote left out events, this is accomplished by letting the  $Fp_1$  take four events of  $Fp_1$ , now  $Fp_1$  would have four additions of events (see figure 1.2). The distance "d" is defined as a constant multiple of the interaction strength. The charges so generated (event exchanging) may be called: "relativistic mass" since it causes the photon to follow geodesics in spacetime. This is why photons have momentum.

In figure 1.1  $CB_{ST}$  chose a momentum vector in the up direction, however it cannot go precisely

in the up direction since this would require infinite momentum.

38 Let  $S_{AP1}$ ,  $S_{AP2}$  of  $\underline{Fp_1}$  look like in Figure 1.1, (just turned upside down and with events, left out events interchanged). 29 -> 32.1

39 Let the starting position (after one instance of time) of  $Fp_1$  and  $\underline{Fp_1}$  be as drawn in figure 1.2 (only the curled up  $S_1$  and  $S_2$ -direction shown). 29

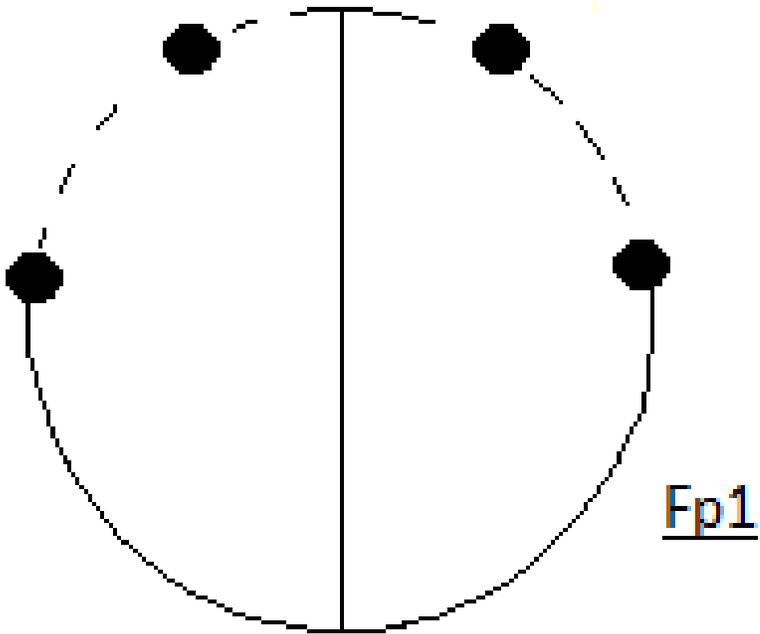
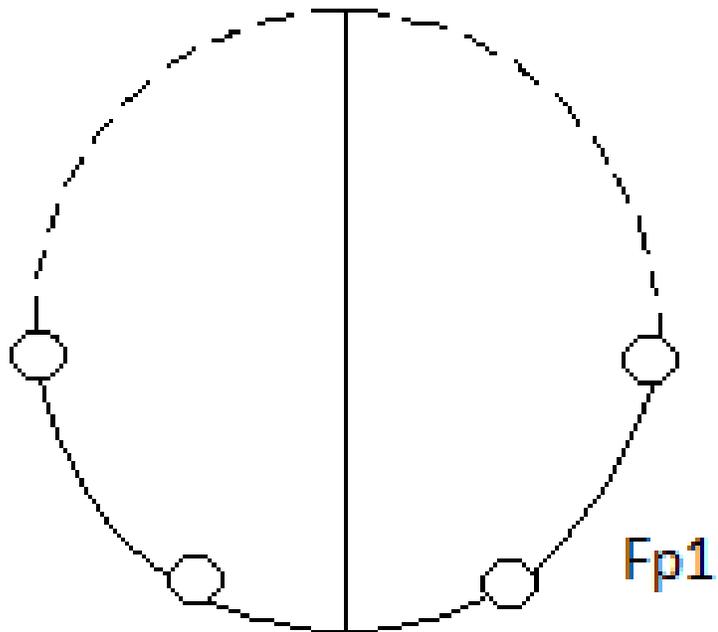


Figure 1.2

The figure shows a  $F_{p_1}$  and  $\underline{F}_{p_1}$  with the  $\underline{F}_{p_1}$  taking events from  $F_{p_1}$ . We postulate that the  $\underline{F}_{p_1}$  is made of left out events, so it carries the positive points (4 of them) from  $F_{p_1}$ . It is easily seen that the two annihilate if becoming superimposed. They are defined to have momentum in opposite directions.

40 Let the two left out events of  $F_{p_1}$  A and B and the other two left out events sense the closest four events of  $CB_{ST}$  in direction p and let them engage these events even if the whole  $F_{p_1}$  needs to turn or move linearly (see force on  $F_{p_1}$  at item 47). 35

41 If four events were engaged: distinguish four new events and go to 40. 35

42 Let  $\underline{F}_{p_1}$  move similarly to 40, just sensing the nearest events of negative coordinates in the -p direction. 35

43  $F_{p_1}$  and  $\underline{F}_{p_1}$  may be polarised: circularly, transversely, or longitudinally. 37

43 is true since the point at infinity gives  $F_{p_1}$  an orientation in  $CB_{ST}$ .

45  $F_{p_1}$  has spin 1. 44,  
23.4

This is true since  $F_{p_1}$  looks the same if turned through 360 degrees.

46 The events of  $CB_{ST}$  cause a force with a nonzero component in the p direction. Define  $F = ma$ . With  $m = 0$  we have infinite acceleration thus infinite speed. But infinite speed would saturate at c. Hence  $F_{p_1}$  goes p-wards at the speed of light. 24.2,  
37

47 That the movement of  $F_{p_1}$  causes Electro-Magnetic waves can be seen from the following figure. The F forces have a tiny reaction force in the up direction due to the curve at A and B not being straight. Figure 1.3

47.1 To get a fuller wave we must have another  $F_{p_1}$  cooperating with this one such that "C" points in the up direction. Figure 1.3

47.2 To get a perpendicular magnetic force we need to include events on the other circle as shown in Figure 1.1. Figure 1.1

47.3 The force  $F$  depends on the stiffness of spacetime and distance  $d$  (in Figure 1.1). Figure 1.3

This force is the initial mechanism whereby a protophoton is accelerated to light speed. At light speed this force is balanced by a force in the  $-p$  direction, working in on the topmost point.

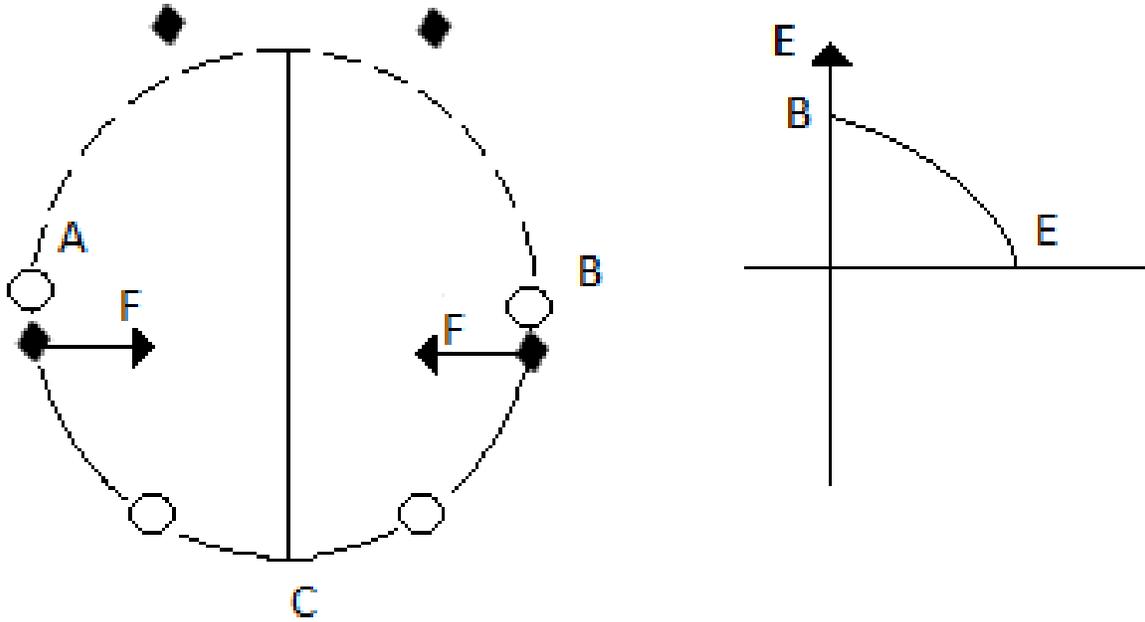


Figure 1.3

48  $F_{p_1}$  gets deflected if  $CB_{ST}$  is curved by gravity. 37

48.1 Let the other circle at C also have 2 events on it removed, so left out events remain. These events must be magnetic in nature. Figure 1.3

For this, we need 2 types of events of  $CB_{ST} \cup \{\text{Magnetic field}\}$ .

49  $F_{p_1}$  is a photon. 43 -> 48

49.1  $\underline{F}_{p_1}$  is an antiphoton. 43 -> 48

Comments:

In trying to construct photons by inserting a half circle on Pp one is led (because the half-circle must come from a copy of space) to also construct antiphotons and they are not made of anti-dimensions.

After line 34 we have constructed a photon and an anti-photon and basic spacetime and time. We may postulate that EM comes from 3 dimensions of space x the 5'th dimension.

We have that the theory of defining photons may be tested by proving: there is a direction in which photons with the same orientation will not go.

We finally state that time defined by: "It is what a clock measure." has problems since a clock can be turned back or not tightly wound up i.e. clocks don't dictate time. Also: a clock has moving parts and movement requires time: definition circular.

### Appendix A: Computations

Now we make a lot of data for the particles (n, set m (after encounter = m) $T_{snm}$ ):

n	$T_{sn1}$	$T_{sn2}$	Ave( $T_{sn1}$ )	Ave( $T_{sn2}$ )	Delta $t_{B1}$	Delta $t_{B2}$
1	3	5				
2	4	4				
3	2	3				
4	2	2				
5	3	3	14/5	17/5	1/14/5	1/17/5
					0.357	0.294

$$t_{Bm} = \text{Ave}(T_{sn1}) + \text{Ave}(T_{sn2}) + \dots + \text{Ave}(T_{snm})$$

Fast clock:  $t'_{Bm}: T_{sn1} = T_{sn1}, T_{sn2} = 4 * T_{sn1}, \dots$

If slow clock:  $t_{Bm}: T_{sn1} = T_{sn1}, T_{sn2} = 2 * T_{sn1}, \dots$  then  $t_{Bm}$  must  $> t'_{Bm}$ . Yes condition holds.

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